

What is topology?

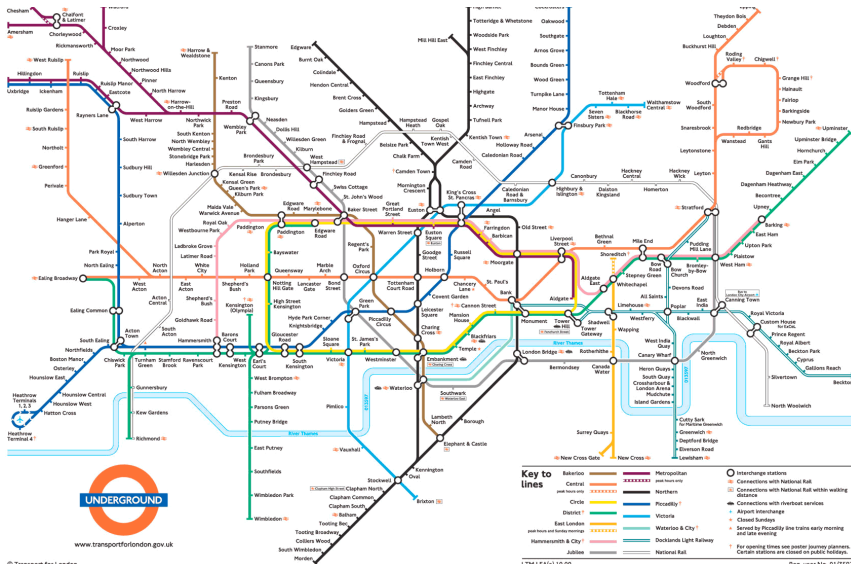
Jon Woolf

February, 2010

Geometric map of the tube



Topological map of the tube



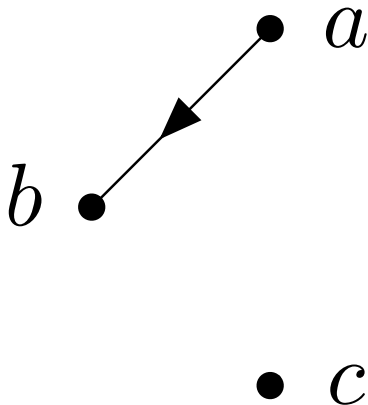
Spaces from sets with relations

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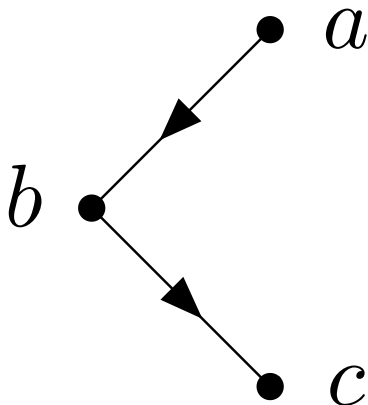
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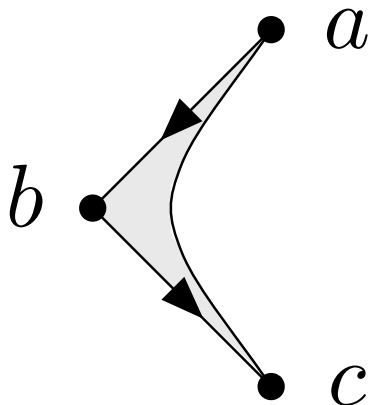
Spaces from sets with relations



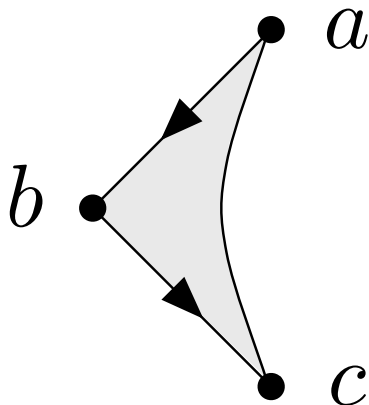
Spaces from sets with relations



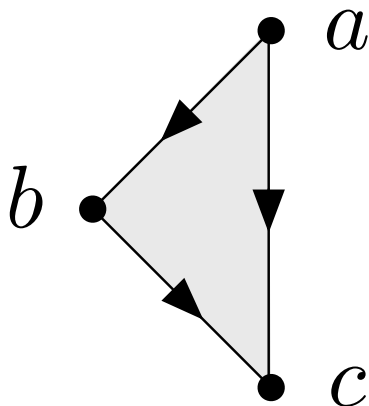
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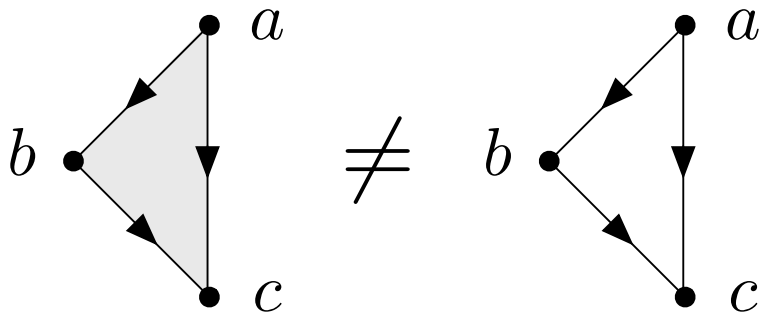
Spaces from sets with relations



Spaces from sets with relations



Spaces from sets with relations



Spaces as sets with relations, with relations, . . .

This construction of spaces from sets with relations is very general.

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In a sense, all spaces arise in this way.

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In this way we build a set with relations, and relations between relations and so on *ad infinitum* out of a space.

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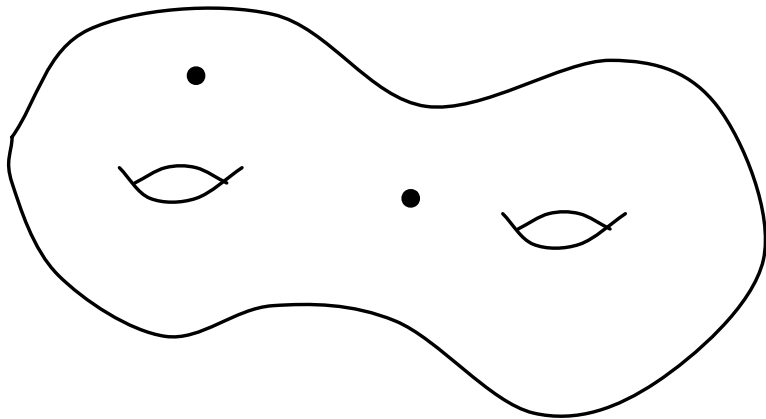
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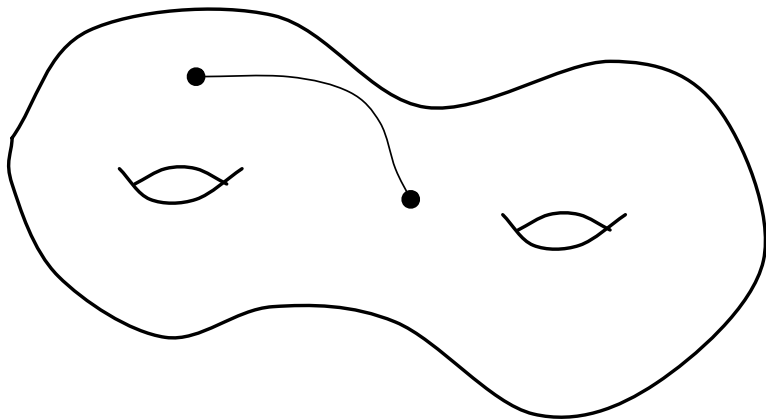
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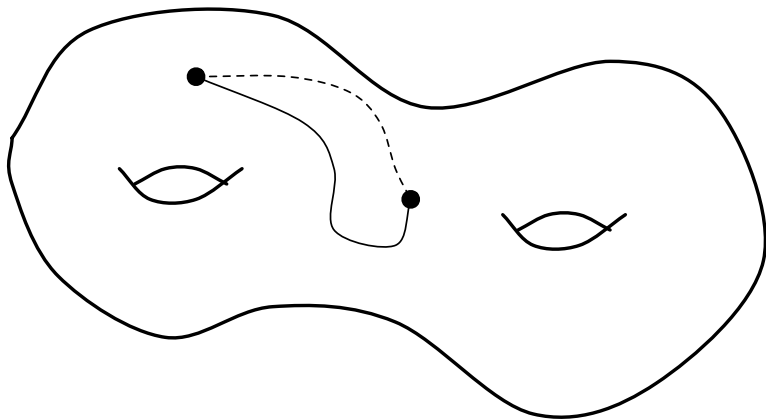
Homotopy theory



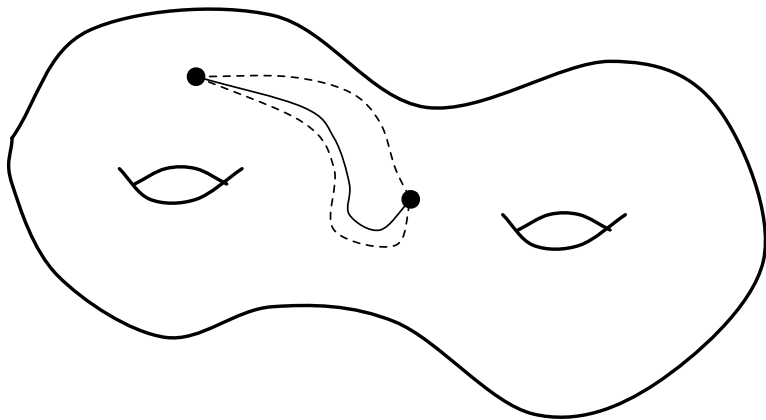
Homotopy theory



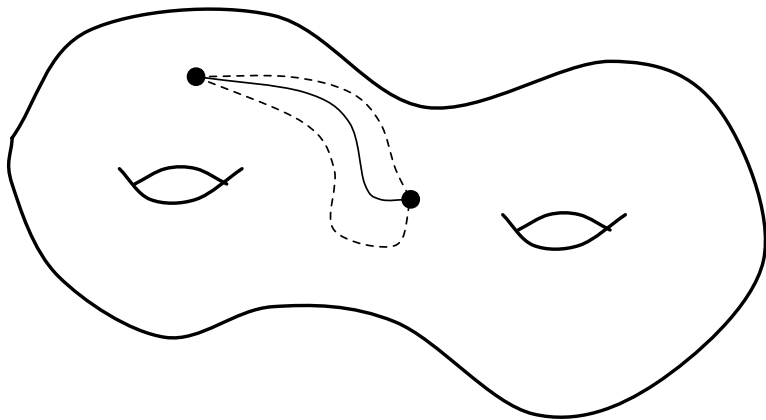
Homotopy theory



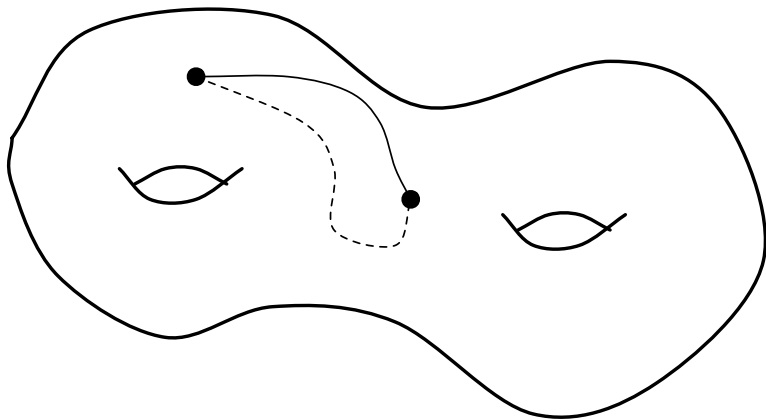
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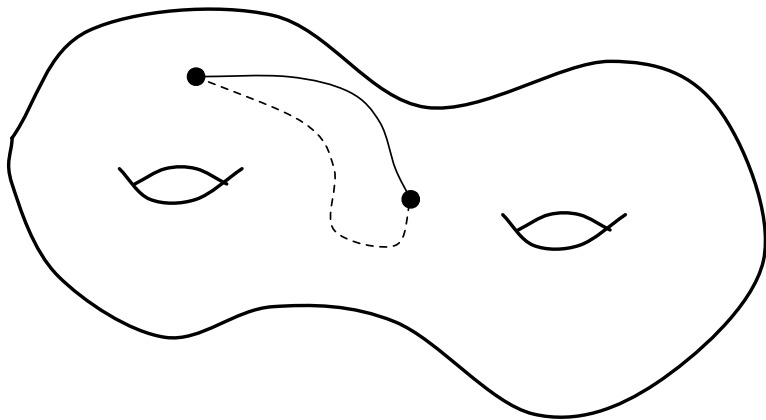
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